Maths Australia PLACEMENT TEST ANSWERS

FOR MATH-U-SEE ADVANCED LEVELS PRE-ALGEBRA, ALGEBRA1, GEOMETRY, ALGEBRA2



PLACEMENT TEST INSTRUCTIONS

Use these placement tests to determine your students

- a) current level of maths mastery and
- b) where there are any gaps in their learning

Every student is unique. The placement tests are understanding based tests, which means they will determine the student's understanding, irrespective of their age, or current grade level.

- 1. If your student has completed all of the Foundation Level Placement Tests from Alpha to Zeta, commence at the Pre-Algebra Level Placement Test below. If your student is finger counting, or has not completed the Foundation Level Placement Tests, please see instructions in the Foundation Level Placement Tests.
- 2. Progress through each Placement Test until the student begins to struggle or shows signs of not understanding the questions.
- 3. When the student scores less than 90% on a test, stop right there. This marks their current level of maths mastery.
- 4. Once you have finished the placement tests you can feel confident you have identified your students unique level of maths mastery.

BEGINNING AT THE PRE-ALGEBRA PLACEMENT TEST, HAVE YOUR STUDENT PROGRESS THROUGH EACH TEST IN THE ORDER BELOW.

Pre-Algebra Placement Test	Result:
Algebra 1 Placement Test	Result:
Geometry Placement Test	Result:
Algebra 2 Placement Test	Result:

Pre-Alpha Solutions

1) -33

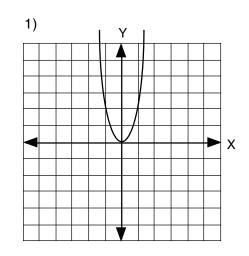
2) 105 3) 17 4) -5 5) -1 6) -25 7) 64 $\frac{4}{9}$ 8) 9) $9 \times 10^{1} + 5 \times 10^{0} + 2 \times 10^{-1} +$ $1 \times 10^{-2} + 4 \times 10^{-3}$ 10) 1,825.6 11) ±10 12) ±Y 13) $8 \cdot 2 + 5^2 - Y = 2(Y + 1) + 6$ 16 + 25 - Y = 2Y + 2 + 641 - Y = 2Y + 833 = 3Y11 = Y14) $8 \cdot 2 + 5^2 - (11) = 2((11) + 1) + 6$ 16 + 25 - (11) = 2(11) + 2 + 641 - (11) = 22 + 830 = 3015) 8M - 4M - 6 - 3 + 5M = 8² - 1 9M - 9 = 64 - 1 9M = 63 + 99M = 72 M = 8

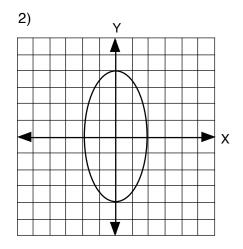
16) $8(8) - 4(8) - 6 - 3 + 5(8) = 8^2 - 1$ 64 - 32 - 9 + 40 = 64 - 163 = 6317) $(-3)^2 \div 9 + 6 = D$ $9 \div 9 + 6 = D$ 1 + 6 = D7 = D18) $(-3)^2 \div 9 + 6 = (7)$ $9 \div 9 + 6 = (7)$ 1 + 6 = (7)7 = (7)19) Y = 56 20) 12A = 528 A = 4421) \$-500 ÷ 10 = \$-50 22) A + 5 = 39 A + 5 - 5 = 39 = 5A = 3423) 3X + 8 = 2X + 103X = 2X + 2X = 224) $3^2 + 4^2 = 5^2$ 9 + 16 = 2525 = 25; yes $\frac{1}{8} = \frac{X}{24}$ 25) 8X = 24 X = 3 students 26) $2(15 \times 13) + 2(15 \times 10) + 2(13 \times 10) =$ 2(195) + 2(150) + 2(130) =390 + 300 + 260 = 950 sq.m.

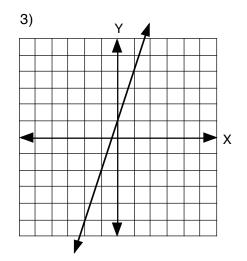
Algebra 1 Solutions

- I. 1) 1/4 + 1 9 = -31/4 = -73/4
 - 2) ±4X
 - 3) 3XY + X
 - 4) 2
 - 5) X + 2
 - 6) 9-3
 - 7) $3X^2 + 20X^6 + 5X^2 = 8X^2 + 20X^6$
- II. 1) $3(X^2 9) = 3(X 3)(X + 3)$
 - 2) (5X + 1)(X 2)
 - 3) $X(X^2 + 5X + 6) = X(X + 2)(X + 3)$
 - 4) $7(2Y^2 Y 6) = 7(2Y + 3)(Y 2)$
- III. $10^6 = (10^3)^X$, 6 = 3X, X = 2
- IV. 1) 3X(X 2) = 03X(X - 2) = 0X = 0, X = 2
 - 2) 6X 15 = 20 (multiplying by 30) 6X = 35, X = 35/6
 - 3) $8 + 14X X^2 = 16X$ (multiplying by 4X) -X² - 2X + 8 = 0 X² + 2X - 8 = 0 (X - 2)(X + 4) = 0 X = 2, X = -4

V. on the graphs







Geometry Solutions

- I. 1) cosine
 - 2) obtuse
 - 3) arc
 - 4) complementary
 - 5) plane
 - 6) trapezoid
 - 7) cube
 - 8) collinear
 - 9) congruent
 - 10) perimeter
- II. 1) trapezoid
 - 2) ∠12
 - 3) 60° (corresponding angles)
 - 4) 30° (180° in a triangle)
 - 5) use answers to #4 and 5 and rules for $30^{\circ}-60^{\circ}-90^{\circ}$ triangle BD = 4 and BC = $4\sqrt{3}$
 - 6) 150° (remote exterior angles)
 - 7) no, EC is not parallel to AC
 - 8) E
 - 9) $\frac{20}{8} = \frac{X}{4}$ X = AE = 10
 - 10) use rules for 30°-60°-90° triangle AC = $10\sqrt{3}$; AB = $10\sqrt{3} - 4\sqrt{3} = 6\sqrt{3}$
- III. 1) $\begin{array}{c|c} \overline{\mathsf{CE}} \cong \overline{\mathsf{CA}} & \text{given} \\ & \swarrow \mathsf{B} \cong \angle \mathsf{D} & \text{given} \\ & \swarrow \mathsf{ACB} \cong \angle \mathsf{DCE} & \text{vertical angles} \\ & \triangle \mathsf{ABC} \cong \triangle \mathsf{CDE} & \mathsf{AAS} \end{array}$
 - 2) $\overrightarrow{AB} \cong \overrightarrow{BC}$ given $\angle BEC \text{ is a right } \angle$ given $\angle BEA \text{ is a right } \angle$ supplementary $\overrightarrow{BE} \cong \overrightarrow{BE}$ reflexive $\triangle ABE \cong \triangle EBC$ HL $\overrightarrow{AE} \cong \overrightarrow{EC}$ CPCTRC

- V. $(4/3)(22/7)(3)^3 = 113.14$ cu. cm (rounded) using decimal value of p yields 113.04
- VI. first find the area of each face of the solid $2(10 \text{ cm}^2) + 2(35 \text{ cm}^2) + 2(14 \text{ cm}^2) = 118 \text{ cm}^2$
- VII. 360° ÷ 45° = 8 sides, octagon
- VIII. 1) $(3\sqrt{2})(4\sqrt{22}) = 12\sqrt{44} = 24\sqrt{11}$

2)
$$\frac{4}{\sqrt{3}} - \frac{2\sqrt{6}}{\sqrt{2}} = \frac{4\sqrt{3}}{3} - \frac{2\sqrt{3}}{1} = \frac{4\sqrt{3}}{3} - \frac{2\sqrt{3}}{1} = \frac{4\sqrt{3}}{3} - \frac{6\sqrt{3}}{3} = \frac{-2\sqrt{3}}{3}$$

- 3) $-3\sqrt{5} + \sqrt{5} = -2\sqrt{5}$
- 4) $\sqrt{2} + \sqrt{3} + \sqrt{4} + \sqrt{1} = \sqrt{2} + \sqrt{3} + 3$
- IX. C = pd so diameter is 8 and radius is 4
- X. check by measuring each side of the bisected segment should be 2 cms
- XI. central angle = 98° , inscribed angle = $(1/2)(98) = 49^{\circ}$
- XII. $2^2 + L^2 = 5^2$ 4 + L² = 25, L = 21², L = $\sqrt{21}$

XIII.
$$4 \begin{array}{r} \begin{array}{c} 4 \end{array} \begin{array}{c} 5 \\ 3 \end{array} & \sin q = \end{array} \begin{array}{c} \begin{array}{c} 3 \\ 5 \end{array} & \csc q = \end{array} \begin{array}{c} 5 \\ 3 \end{array} \\ \cos q = \end{array} \begin{array}{c} \begin{array}{c} 4 \\ 5 \end{array} & \sec q = \end{array} \begin{array}{c} 5 \\ -4 \end{array} \\ \tan q = \end{array} \begin{array}{c} \begin{array}{c} 3 \\ 4 \end{array} & \cot q = \end{array} \begin{array}{c} \begin{array}{c} 4 \\ -3 \end{array} \end{array}$$

Algebra 2 Solutions

1)
$$(X^{7} + X^{3}) + (X^{2}! ! X^{2}) = X^{7-3} + X^{2+2} = X^{4} + X^{4} = 2X^{4}$$

2) $\frac{A^{5}B^{-3}}{B^{3}A^{2}} = A^{5-2}B^{-3-3} = A^{3}B^{-6}!OR! \frac{A^{3}}{B^{6}}$
3) $(\frac{8}{27})^{-\frac{1}{3}} = (\frac{27}{8})^{\frac{1}{3}} = \frac{3}{2} = 1\frac{1}{2}$
4) $2\sqrt{5} + 7\sqrt{5} = 9\sqrt{5}$
5) $(\frac{X}{3+i})(\frac{3-i}{3-i}) = \frac{X(3-i)}{3^{2}-i^{2}} = \frac{X(3-i)}{9-(-1)} = \frac{X(3-i)}{10}$
6) $(-\frac{3}{1+\sqrt{3}})^{1}(\frac{1-\sqrt{3}}{1-\sqrt{3}}) = \frac{3(1-\sqrt{3})}{t^{2}-\sqrt{3^{2}}} = \frac{3(1-\sqrt{3})}{1-3} = \frac{3-3\sqrt{3}}{-2}$
7) $\frac{5}{6X} + \frac{4}{3Y} = (\frac{5}{6X})(\frac{Y}{Y}) + (\frac{4}{3Y})(\frac{2X}{2X}) = \frac{5Y+8X}{6XY}$
8) $5Q^{-1}RQ^{2} + 3QR - R = 5QR + 3QR - R = 8QR - R$
9) $(9 \times 10^{-4})(2.7 \times 10^{-2}) = (9 \times 2.7)(10^{-4}10^{-2}) = 24.3 \times 10^{-6}!or!2.43 \times 10^{-5}$
10) $\frac{3.7 \times 10^{6}}{2 \times 10^{-3}} = \frac{3.7}{2} \times 10^{9} = 1.85 \times 10^{9} = 1,850,000,000$
11) $2X^{2} - 9X = 35$
 $2X^{2} - 9X - 35 = 0$
 $X = \frac{-(-9) \pm \sqrt{(-9)^{2} - 4(2)(-35)}}{2(2)}$
 $X = \frac{9 \pm \sqrt{81-(-280)}}{4} = \frac{9 \pm \sqrt{361}}{4} = \frac{9 \pm 19}{4}$
 $X = \frac{9+19}{4} = \frac{28}{4} = 7.!!X = \frac{9-19}{4} = \frac{-10}{4} = -2\frac{1}{2}$

12)
$$X^{2} + 4X - 4 = -3X$$

 $X^{2} + 7X - 4 = 0$
 $X = \frac{-(7) \pm \sqrt{7^{2} - 4(1)(-4)}}{2(1)}$
 $X = \frac{-7 \pm \sqrt{49 - (-16)}}{2}$
 $X = \frac{-7 \pm \sqrt{65}}{2}$, $!!X = \frac{-7 - \sqrt{65}}{2}$
13) $Y = X^{2} + 2$
 $Y = X + 2$
substitute!X + 2!for!Y:
 $(X + 2) = X^{2} + 2$
 $X = X^{2}$
 $X^{2} - X = 0$
 $(X)(X - 1) = 0$
 $X = 0$ $X = 1$
 $Y = (0) + 2$ $Y = (1) + 2$
 $Y = 2$ $Y = 3$
 $(0, 2)$ $(1, 3)$
 $Y = X^{2} + 2$

Algebra 2 Solutions

14)
$$X^2 + Y^2 = 1$$

 $X^2 = \frac{-Y^2}{2X^2} = \frac{1}{2}$
 $X^2 = 1$
 $X = \pm 1$
 $(1)^2 + Y^2 = 1$
 $(-1)^2 + Y^2 = 1$
 $1 + Y^2 = 1$
 $Y^2 = 0$
 $Y = 1$
 $Y =$

 $\begin{array}{l} D_M = R_M T_M \\ D_M = (55)(9) \end{array}$ 19) D_M = 495!mi. $D_A = R_A T_A$ $D_{M} = D_{A}$ 715 = 45 (T_A) $T_A = 11!$ hours arrived at 7:00 PM 20) D + Q = 15.10D + .25Q = 3.15 10D + 25Q = 315-(10D + 10Q = 150) (1st equation x 10) 15Q = 165Q = 11 D + (11) = 15 $D = \dot{4}$ 3(X)+2(X+2)-(X+4)=1621) 3X + 2X + 4 - X - 4 = 164X = 16X = 43 numbers are 4, 6, and 8 22) $M_{T} + M_{S} = 100$ $.10M_{T} + .60M_{S} = .55(100)$ $10M_{T} + 60M_{S} = 5,500$ (2nd equation x 100) -(10MT + 10MS = 1,000) (1st equation x 10) $50M_{S} = 4,500$ $M_{S} = 90 \text{ kg}$ $M_T + (90) = 100$ $M_T = 10 \text{ kg}$ R + 6 = 2(A + 6) (equation 1) R + 6 = 2A + 1223) R = 2A + 6 $(A - 4) \cdot 3 = R - 4$ (equation 2) (A - 4) $\cdot 3 = (2A + 6) - 4$ (substitute for R) 3A - 12 = 2A + 2 A = 2 + 12 = 14 years old R = 2(14) + 6R = 28 + 6 = 34 years old 24) $D_D = R_D T_D$ $(T_U = T_D)$ $2\bar{6} = (\bar{B} + W)(T)$ 26 = (B + 5) T26 $T = \frac{6}{B - 5}$ T = -B+5 $D_U = R_U T_U$ 26 = 6 6 = (B - W)(T)B + 5 = B - 56 = (B - 5) T6(B+5)=26(B-5)6B + 30 = 26B - 130160 = 20B8 = B

Observe Your Student(s) as they progress

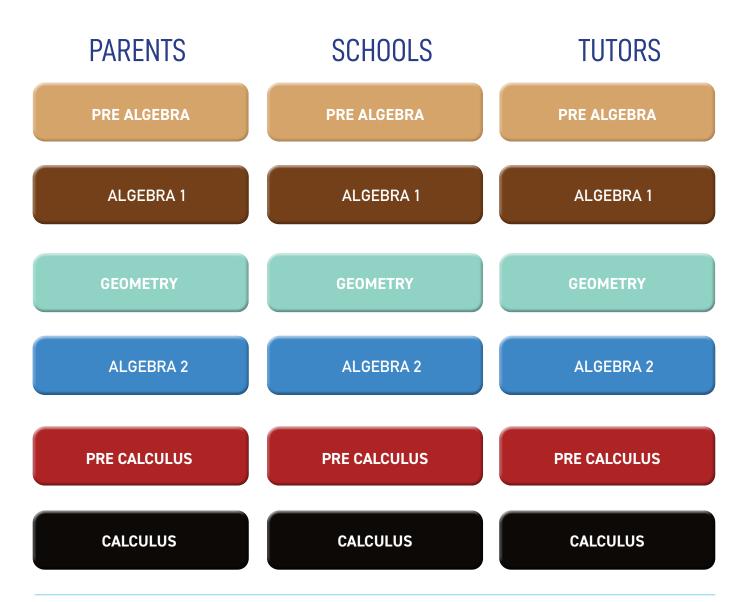
At which level did your student begin to struggle, and therefore which level do you need to order?

NOTE: If your student has successfully completed all of the Foundations and Advanced Placement Tests, scoring 90% or more on each test, consider Math-U-Sees Pre-Calculus or Calculus Levels. See a complete overview of Pre-Calculus and Calculus here: <u>Math-U-See Level by Level</u>.

Ready to Order?

Now that you have finished the Advanced Level Placement Tests, you can feel confident that you are choosing the level of Math-U-See that is best for your student.

Click your level below to order:



WE TAKE THE STRUGGLE OUT OF MATHS!

Math-U-See is an effective, hands-on and multi-sensory way to learn maths.

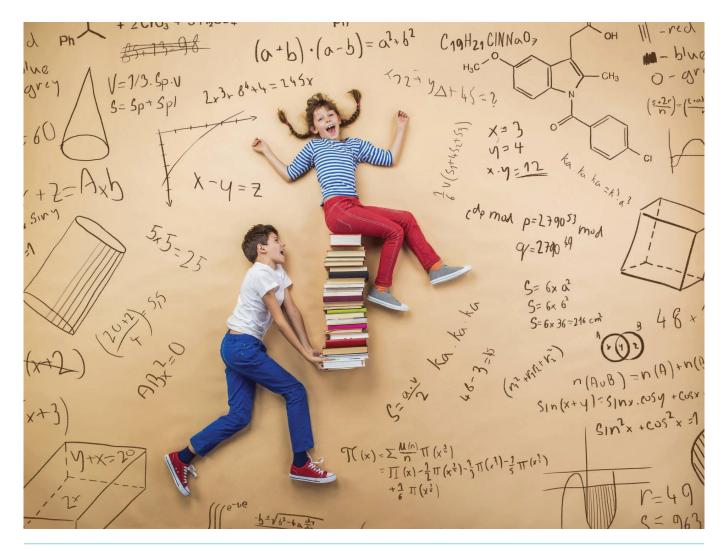
Dive into this student paced, multisensory program that teaches true maths mastery skills to help your student(s) become confident problem solvers for life.

Based on research, this award-winning program comes with complete and comprehensive instruction with just 4 Easy Steps to follow at each lesson!

Do you have any questions?

Our friendly, experienced team are dedicated to your success, every step of the way! Feel free to contact us and ask any questions you have. We look forward to hearing from you.







CONTACT

02 9094 3390 or 08 6311 5998 info@mathsaustralia.com.au

WWW.MATHSAUSTRALIA.COM.AU